

24. Piirrä edellä muodostettua datajoukkoa datat interpoloivanpolynomin ja paloittain interpoloivan neliöllisen polynomin kuvaajat.

```

datat = Table[{x, Sin[x]}, {x, 0, 10}] // N

{{0., 0.}, {1., 0.841471}, {2., 0.909297},
 {3., 0.14112}, {4., -0.756802}, {5., -0.958924}, {6., -0.279415},
 {7., 0.656987}, {8., 0.989358}, {9., 0.412118}, {10., -0.544021}}

norsu = InterpolatingPolynomial[datat, x]

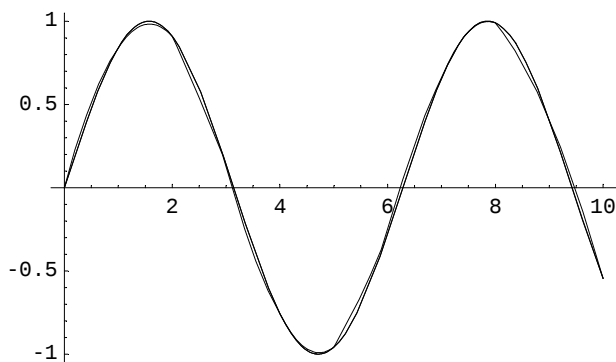
(0.841471 +
 (-0.386822 + (-0.0103932 + (0.0320258 + (-0.00541109 + (-0.000152322 + (0.000138457 +
 (-0.0000134113 + (-3.97978 × 10-7 + 1.73593 × 10-7 (-9. + x))
 (-8. + x)) (-7. + x)) (-6. + x))
 (-5. + x)) (-4. + x)) (-3. + x)) (-2. + x)) (-1. + x)) (0. + x))

marsu = Interpolation[datat, InterpolationOrder → 2]

InterpolatingFunction[{{0., 10.}}, <>]

Plot[{marsu[x], norsu, Sin[x]}, {x, 0, 10}]

```



- Graphics -

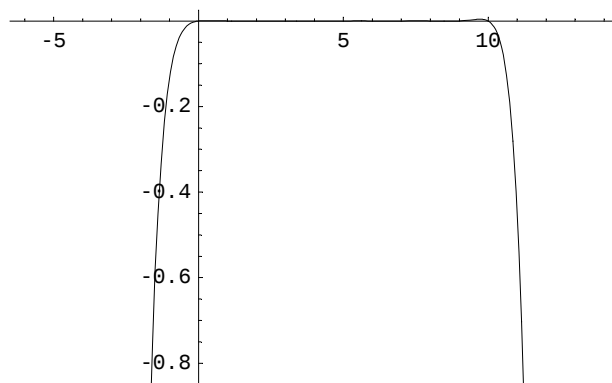
25. Muodosta erotusfunktio Sin[x]-InterpolatingPolynomial ja piirrä sen kuvaaja.

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Clear[f, x]
f[x_] := Sin[x] - norsu

In[110]:= Plot[f[x], {x, -6, 14}]

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Out[110]= - Graphics -